

# A Microcontroller Sensor Interface Suitable for Resistive Sensors with Large Lead Resistance

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**Abstract**— A direct resistive sensor interface to a micro-controller reported earlier, works well only if the sensor element is very close to the micro-controller pins. If the sensor element is at a distance from the micro-controller then the lead resistance due to connecting wires between resistive sensor element and the micro-controller introduces appreciable errors in the output. A modified scheme of direct sensor interface to micro-controller is presented here. In the proposed scheme, the effect of lead resistances is compensated and thus the proposed direct resistive sensor interface to a micro-controller works well even if the sensor is kept at distance and connected through long connecting wires. Since the lead wire resistance is compensated, automatic temperature compensation (temperature effect of lead wires) is obtained. The results obtained from simulation and experimental results recorded from a prototype of the proposed scheme establishes the effectiveness of the proposed method in eliminating the effect of lead resistance in the output. Worst-case error noted in the simulation output was  $< \pm 0.23\%$  and the worst-case error of the prototype unit was found to be  $< \pm 0.33\%$ .

**Keywords**- Lead resistance compensation; Resistive sensors; Micro-controller sensor interface; Direct sensor interface.

## I. INTRODUCTION

Resistive type sensors are available in single element, differential and bridge forms [1]. As the name indicates, single element sensor has one sensing element, whose resistance changes as a function of the physical quantity being measured. They are commonly used for sensing temperature, light, gas and humidity. Examples are RTDs (Resistance Temperature Detectors), thermistors, LDRs (Light Dependent Resistors), strain gauges, various gas sensors, piezo-resistive type sensors etc. [1], [2]. To be processed by the modern instrumentation system digital outputs are preferred from the measurement circuit of these sensors. Conventional measurement schemes use analog signal conditioning circuit cascaded to an analog-to-digital converter (ADC) for obtaining digital output from the sensors. Quasi digital systems that convert resistance to frequency, pulse-width or time period are available but they suffer from the drawback of requirement of another interface to covert the quasi-digital output to digital [3], [4]. Direct digital converters based on dual-slope ADC are reported, wherein the structure of a dual-slope ADC is altered to make the sensor elements to become an integral part of the ADC. Such schemes provide a digital output dispensing with analog signal conditioning circuits [4], [5]. Even though these converters provide good accuracy, they are complex compared to direct interface of sensor element to micro-controller reported in [7], [8], for resistive and capacitive sensors.

Error introduced by a lead resistance  $R_{LD}$  in the operation of a sensor resistance  $R_x$  depends on the ratio  $R_{LD}/R_x$ . Here  $R_x$ , the resistance of the sensor element can be expressed as:

$$R_x = R_0(1 + kx), \quad (1)$$

Where  $k$  is the transformation constant of the sensor,  $R_0$  is the nominal resistance of the sensing element when the measurand being sensed, namely  $x$ , is zero. Typical value of lead resistance of a wire (copper wire, 30 SWG) at 25 °C is 344 mΩ/m [2]. Lead wires are manufactured with a tolerance of about 10 %, resulting in the nominal resistances of the two wires connecting the two ends of the resistive sensor element to the microcontroller may not be equal. The temperature coefficient of copper is 0.00385 Ω/Ω/°C and for a 10 °C change in the operating temperature the change in the resistance of the lead wires will be 13 mΩ/m. Large errors will result, especially when long lead wires are used with low valued resistive sensors possessing low sensitivity. For example, PT100, a popular resistive temperature device (RTD) possesses a nominal resistance of 100Ω and sensitivity of 0.00385 Ω/Ω/°C. If such a sensor is used, even a few meters of connecting wire will introduce large errors due to not only lead resistances but also due to variations in the lead resistances as a result of temperature variations.

In the direct resistive sensor interface to micro-controller systems presented earlier, if the sensor is remotely located, the measurement will be significantly affected due to lead wire resistance and its variation owing to change in the atmospheric temperature [7], [8]. Use of three wire and four wire connection strategies enable precise measurement of low resistance by compensating the lead resistance but such systems require additional leads running from measurement unit to sensor side and will be efficient only when the supply and return leads have equal resistance values [9]. Methods that provide lead wire compensation presented earlier are all analog signal conditioning schemes and require an additional analog to digital converter to interface them to a micro-controller [10] - [12]. More over the schemes presented in [10] and [11] are more complex systems compared to the scheme proposed here as they use current sources and sample and hold circuits.

In this paper a simple, direct micro-controller interface scheme to connect and measure using a resistive element is presented. In the proposed scheme the resistive sensor element is directly connected to the port pins of a micro-controller, but with additional diodes and switches. The switches are suitably operated by the micro-controller so that lead resistance as well as any variation in lead resistance due to change in temperature are compensated. Thus the scheme presented here eliminates errors introduced, even by long lead wires.

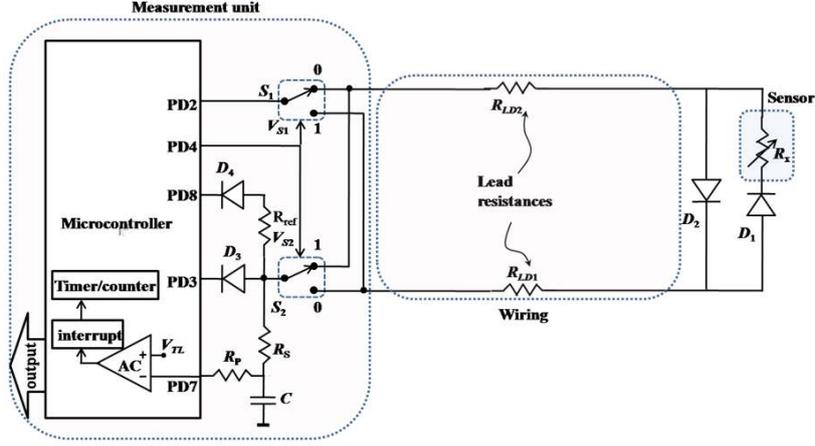


Fig. 1. Block diagram of the proposed method. The measurement unit with micro-controller, connecting wires with lead resistances and the sensor, are indicated.

## II. MICRO-CONTROLLER BASED SENSOR INTERFACE FOR SENSORS WITH LEAD RESISTANCE

A block diagram of the proposed scheme is shown in Fig. 1. The measurement unit has a micro-controller, two SPDT switches  $S_1$  and  $S_2$ , two diodes  $D_3$  and  $D_4$ , a capacitor  $C$  and two resistors  $R_s$  and  $R_{ref}$ . The sensor  $R_x$  is connected to  $S_1$  and  $S_2$  as in Fig. 1.  $R_{LD1}$  and  $R_{LD2}$  indicate the resistances of the lead wires between the sensor and the measurement (micro-controller) unit. At the sensor side, two diodes  $D_1$  and  $D_2$  are introduced as shown in Fig. 1. The purpose of diodes  $D_1$  and  $D_2$  are to allow for two different measurements, wherein the first measurement includes the sensor and lead resistance and the second measurement is only the lead resistance. In place of diodes,  $D_1$  and  $D_2$ , low ON resistance analog switches can also be used, but switches will need control signals and power supply for which, additional control wires have to run from the measurement unit to sensor, to control such switches.

The measurement process involves charging and discharging of capacitor  $C$ , alternatively, for four times as illustrated in Fig. 2. Whenever  $C$  needs to be charged, pin PD7 of the micro-controller is set at digital HIGH (say, voltage  $V_{DD}$ ) and the remaining pins PD2, PD3, and PD8 are set to operate in the high impedance state. The switch control pin PD4 can be set to HIGH, LOW or high impedance state as it will not affect

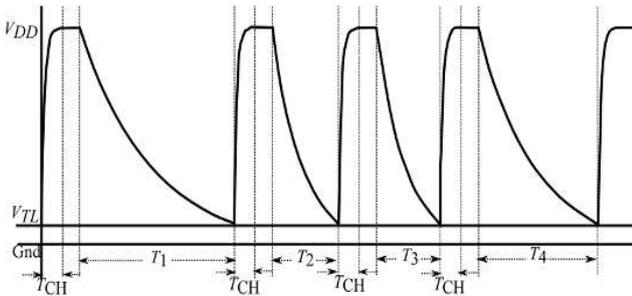


Fig. 2. Charging and discharging sequence  
 $T_{CH}$  shows duration for charging while  
 $T_1, T_2, T_3$  and  $T_4$  indicate various discharging intervals

the charging operation as the pins used for discharging are in high impedance state. For this condition, capacitor  $C$  is charges towards  $V_{DD}$ , through  $R_p$ .  $R_p$  is introduced to improve the rejection of power supply noise / interference as reported in [7].

As mentioned above, a discharging operation follows a charging process. During discharging, the time taken to reach certain voltage ( $V_{TL}$ ) is measured. During the first discharging process pins PD3, PD7 and PD8 are set in high impedance state and pin PD2 alone is set at digital '0'. Simultaneously, switches  $S_1$  and  $S_2$  are set to position '0'. In this situation, the total resistance,  $R_{T1}$  of the discharge path-1 which includes diode  $D_1$  is

$$R_{T1} = R_x + (R_s + R_{ON1} + R_{LD1} + R_{LD2} + R_{ON2} + R_{pin}) \quad (2)$$

where  $R_s$ , is an additional resistor connected to ensure that the discharging current is smaller than the maximum output current ( $I_{max}$ ) that is acceptable for a port pin even when  $R_x$  is very small [7].  $R_{ON1}$  and  $R_{ON2}$  are the ON state resistances of the switches  $S_1$  and  $S_2$ ,  $R_{LD1}$  and  $R_{LD2}$  are the lead resistances of the wires to the sensor, from micro-controller.  $R_{pin}$  is the internal resistance of the micro-controller pin. The diode  $D_1$  will be forward biased and diode  $D_2$  will be reverse biased and the current  $i_1(t)$  flowing through  $R_{T1}$  will be

$$i_1(t) = \frac{(V_{DD} - V_{DON})}{R_{T1}} e^{-t/R_{T1}C} \quad (3)$$

where  $V_{DON}$  is the ON state forward voltage drop of the diode  $D_1$ . The voltage,  $v_{RT1}(t)$  across  $R_{T1}$  can be expressed as

$$v_{RT1}(t) = i_1(t)R_{T1} = (V_{DD} - V_{DON})e^{-t/R_{T1}C} \quad (4)$$

and the capacitor voltage  $v_c(t)$  can be expressed as in (5).

$$v_c(t) = V_{DON} + v_{RT1}(t) \quad (5)$$

By substituting  $v_{RT1}(t)$  from (4) into (5),  $v_c(t)$  can be modified as in (6).

$$v_c(t) = V_{DON} + (V_{DD} - V_{DON})e^{-t/R_{T1}C} \quad (6)$$

The capacitor voltage,  $v_c(t)$  at the time of the start of discharge ( $t = 0$ ) will be

$$v_c(t) = V_{DD} \quad (7)$$

The discharging process is continued till the capacitor voltage drops down to a threshold voltage,  $V_{TL}$  and let ' $T_1$ ' be the time taken to complete this process. At  $t = T_1$ ,  $v_c(T_1) = V_{TL}$  and  $V_{TL}$  can be expressed as in (8).

$$V_{TL} = V_{DON} + (V_{DD} - V_{DON})e^{-T_1/R_{T1}C} \quad (8)$$

The time  $T_1$ , taken by the capacitor  $C$  to discharge from  $V_{DD}$  to  $V_{TL}$  through  $R_{T1}$  can be calculated as in (9).

$$T_1 = R_{T1}C \ln \left( \frac{V_{DD} - V_{DON}}{V_{TL} - V_{DON}} \right) \quad (9)$$

For a system, values of  $C$ ,  $V_{DD}$ ,  $V_{TL}$  and  $V_{DON}$  can be assumed to be constants then  $T_1$  is proportional to the total resistance  $R_{T1}$  of path-1. The internal Timer/Counter unit of the micro-controller will be started when the capacitor starts discharging and will be stopped when  $v_c(t) = V_{TL}$ . The time taken by the capacitor to discharge is now available in terms of counts, a digital number say  $N_1$ . The equations (3) to (9) holds good for the second, third and fourth discharging periods also except for the total resistance,  $R_T$  involved in the different paths and  $V_{DON}$  of the respective diodes  $D_2$ ,  $D_3$  and  $D_4$ . Fig. 2 depicts that the time taken by the capacitor to charge in all the four cases is same and the time taken for discharging depends on the total resistance of the discharging path.

To obtain the time taken by the capacitor to discharge through lead wire resistance alone, a second discharging operation is performed. The status of the micro-controller pins are maintained same for the second discharge operation but the positions of switches  $S_1$  and  $S_2$  are changed to '1'. This change in switch position changes the path for the current through capacitor  $C$ . Diode  $D_2$  is forward biased and diode  $D_1$  is reverse biased and thus path of discharge current does not include the sensor resistance. The total resistance  $R_{T2}$  of the discharge path-2, can be expressed as in (10).

$$R_{T2} = R_s + R_{ON1} + R_{LD1} + R_{LD2} + R_{ON2} + R_{pin} \quad (10)$$

The time taken by the capacitor to discharge through  $R_{T2}$  to reach  $V_{TL}$  is  $T_2$  and the count obtained from the counter corresponding to  $T_2$  is considered as  $N_2$ .

The internal resistance  $R_{pin}$  of the micro-controller contributes an offset error in the measurement of resistance. To correct for that offset error, the counts corresponding to the time taken, by the capacitor to discharge from  $V_{DD}$  to  $V_{TL}$  through resistance of the micro-controller pin,  $R_{pin}$  and the additional resistance  $R_s$ , is needed. In order to perform this, pins PD2, PD7 and PD8 are set in high impedance state and the pin PD3 is set to digital '0'. The positions of the switches  $S_1$  and  $S_2$  have no effect during this discharge operation. The total resistance  $R_{T3}$  of the discharge path-3 can be written as in (11).

$$R_{T3} = R_s + R_{pin} \quad (11)$$

$T_3$ , the time taken by the voltage across the capacitor to discharge to  $V_{TL}$ , can be obtained in terms of count  $N_3$  from the internal Timer/counter unit.

The final discharging operation is intended to measure time corresponding to the reference resistor,  $R_{ref}$ . In this case, the digital I/O pins PD2, PD3 and PD7 are kept at high impedance state and the pin PD8 is kept at ground by setting it as output pin providing digital '0'. The total resistance  $R_{T4}$  of this discharge path-4, can be written as in (12). The switch positions play no role in this discharging stage.

$$R_{T4} = R_{ref} + (R_s + R_{pin}) \quad (12)$$

The counts obtained for this measurement is denoted as  $N_4$ .

The expression for  $T_1$  is given in (9) whereas  $T_2$ ,  $T_3$  and  $T_4$  can be obtained by replacing  $R_{T1}$  in (9) with  $R_{T2}$ ,  $R_{T3}$  and  $R_{T4}$ , respectively. If we perform a ratio-metric operation of the four discharging time periods  $T_1$ ,  $T_2$ ,  $T_3$  and  $T_4$  as in (13), we get output as the ratio of sensor resistance  $R_x$  to  $R_{ref}$ , which is independent of the lead resistors  $R_{LD1}$  and  $R_{LD2}$ .

$$\frac{T_1 - T_2}{T_4 - T_3} = \frac{R_{T1} - R_{T2}}{R_{T4} - R_{T3}} = \frac{R_x}{R_{ref}} \quad (13)$$

Since the counts corresponding to the discharging time periods  $T_1$ ,  $T_2$ ,  $T_3$  and  $T_4$ , are available, we can re-write (13) in terms of the counter outputs, as in (14), which is a ratio of  $R_x$  to  $R_{ref}$  in digital domain.

$$\frac{R_x}{R_{ref}} = \frac{N_1 - N_2}{N_4 - N_3} \quad (14)$$

Equation (14) is not affected by lead resistance. If lead resistance compensation is not considered as in [7], then the measurements obtained would be  $N_1$ ,  $N_3$  and  $N_4$ , using which  $R_x$  to  $R_{ref}$  is calculated as in (15).

$$\frac{R_x}{R_{ref}} = \frac{T_1 - T_3}{T_4 - T_3} = \frac{N_1 - N_3}{N_4 - N_3} \quad (15)$$

### III. SIMULATION STUDIES

The functionality of the proposed method has been verified by simulating the circuit using circuit simulation tool, LTSpice. To simulate the micro-controller part, control logic with a few switches, pulse signals and logic gates were used. Two different simulations were performed; in the first one the lead resistance values,  $R_{LD1}$  and  $R_{LD2}$  were set as  $10\Omega$ , the nominal resistance  $R_0$  of the sensor was set as  $1.0\text{ k}\Omega$  and the sensor resistance was incremented in steps of  $10\Omega$  up to  $1100\Omega$ . In the second simulation, the sensor resistance was again set as  $1.0\text{ k}\Omega$  (the nominal resistance) and the lead resistance  $R_{LD1}$  and  $R_{LD2}$  values were varied in steps of  $1\Omega$  in the range of  $0\Omega$  to  $10\Omega$  and the corresponding variations in discharging time periods were noted. The ratio  $R_x$  to  $R_{ref}$  was then computed using (13) (Lead Resistance Compensation - LRC) and (15) (No Lead Resistance Compensation- NLRC). The relative error was calculated for each case using the results obtained from the first simulation and plotted. Fig. 3 shows the output characteristics and error curves before and after compensating

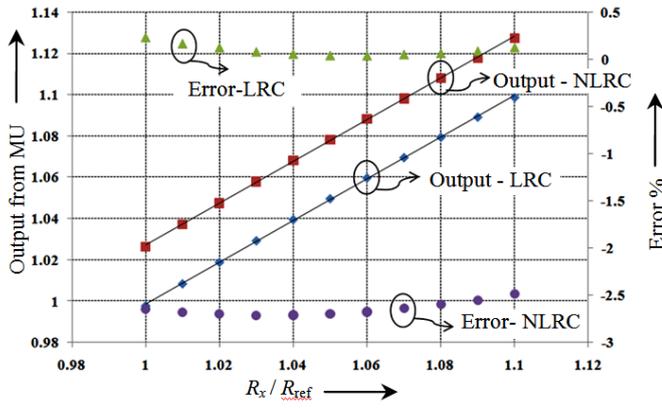


Fig. 3. Results obtained from the simulation studies with  $R_{LD1}=R_{LD2}=10\Omega$   
 MU – Measurement Unit  
 LRC- Lead Resistance Compensation  
 NLRC- No Lead Resistance Compensation

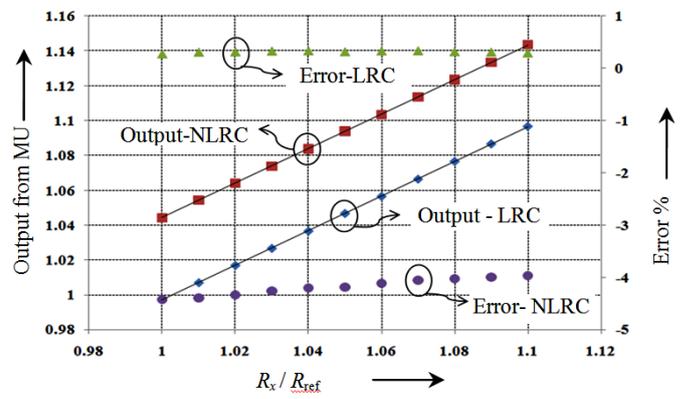


Fig. 4. Results obtained from the prototype with  $R_{LD1}=R_{LD2}=10\Omega$   
 MU – Measurement Unit  
 LRC- Lead Resistance Compensation  
 NLRC- No Lead Resistance Compensation

the lead resistance using the method proposed here. The worst case error was  $\leq \pm 2.7\%$  in case of no compensation for lead resistance and  $\leq \pm 0.23\%$  after compensation. This shows the efficacy of the proposed method.

#### IV. EXPERIMENTAL RESULTS

A prototype unit was developed and tested to check practical working of the proposed scheme when a sensor with lead wire resistance is employed. The resistor  $R_p$  used for charging the capacitor was selected as  $75\Omega$  and the capacitor  $C$  was selected as  $2.2\mu F$ . These values were selected as per the recommendations in [7]. The additional resistor  $R_s$  and  $R_{ref}$  were selected as  $1k\Omega$ . Four 1N4007 diodes with matching (measured)  $V_{DON}$  values were selected to serve as  $D_1, D_2, D_3$  and  $D_4$ . There is a possibility of small mismatch in diode voltages but the error due to mismatch will be negligible as reported in [11]. To keep any offset error that may be introduced by the switch ON resistance, an IC with very low on state resistance is preferred. IC MAX 4602 has quad SPST switches having ON resistance of  $2.5\Omega$ . Two SPST switches were connected in parallel to form an SPDT switch. While the control voltage of one of the switches was fed directly, the remaining switch was controlled with an inverted version of the control voltage (inversion was obtained using one of the six NOT gates of IC SN 7404).

An Arduino Uno board containing an ATMEGA 328 micro-controller is used in the prototype to implement the necessary control logic. The analog comparator unit inside the micro-controller was used to compare the capacitor voltage with the threshold voltage ( $V_{TL}$ ). The voltage  $v_c(t)$  across the capacitor was connected to the negative input terminal of the comparator named as AIN1 and the analog comparator band gap select bit in the analog comparator control and status register was set so that a fixed band gap reference voltage of  $1.1V$  replaces is fed to the positive input AIN0 of the comparator [13], [14]. When the capacitor voltage drops below  $1.1V$  the comparator triggers the analog comparator interrupt and initiates the necessary action. The internal Timer/ Counter unit was used to perform the necessary counting operation, every time the capacitor was made to discharge. The Arduino board was interfaced to a personal computer (PC) through the

USB port and the measured count values were read by the USB interface and displayed on the PC.

The sensor resistance  $R_x$  and the lead wire resistances  $R_{LD1}$  and  $R_{LD2}$  were emulated by using standard variable resistance boxes from Otto Wolff, Germany having a resolution of  $1.0\Omega$  and an accuracy of  $\pm 0.01\%$ . The nominal resistance of the sensor was set as  $1.0k\Omega$ , lead resistances  $R_{LD1}$  and  $R_{LD2}$  were set as  $10\Omega$  each. The counter output for the four discharging periods were obtained for sensor resistances in the range of  $1000\Omega$  to  $1100\Omega$ , varied in steps of  $10\Omega$ . Using the count values obtained  $R_x/R_{ref}$  was calculated using (14). It was also compared with conventional method for direct sensor interfacing, ( $R_x/R_{ref}$  obtained using (15)). The output obtained from the measurement unit for both the cases were plotted in a graph and was found to be linearly varying with respect to  $R_x$ . The relative errors were calculated and error characteristics were drawn. Fig. 4 shows the output and error graphs plotted using the results obtained from the prototype. The worst case error obtained from the prototype unit was found to be  $\leq \pm 4.42\%$  for results obtained without lead resistance compensation and it reduced to  $\leq \pm 0.33\%$  after compensation. Fig. 5 shows the snapshot of the waveform across the capacitor  $C$  for a typical value of  $R_x = 1100\Omega$  and  $R_{LD1} = R_{LD2} = 25\Omega$ . A photograph of the experimental setup with the prototype unit is

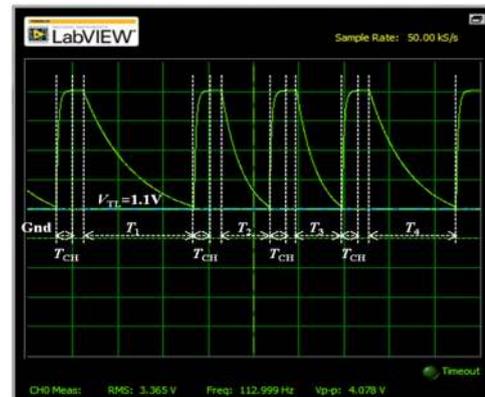


Fig. 5. Snapshot of capacitor waveform  $v_c(t)$  for a typical value of  $R_x=1100\Omega$  and  $R_{LD1}=R_{LD2}=25\Omega$

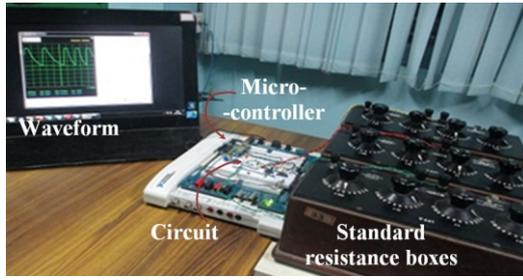


Fig. 6. Experimental setup to test the proposed scheme

shown in Fig. 6.

To study the effect of variation in lead resistance due to temperature, another measurement was performed, where the sensor resistance  $R_x$  was kept constant at 1.0 k $\Omega$  and lead resistances  $R_{LD1}$  and  $R_{LD2}$  were incremented in steps of 1  $\Omega$  in the range of 0  $\Omega$  to 10  $\Omega$ . The corresponding  $R_x/R_{ref}$  calculated using (14) as well as the conventional method (15) is given in Table I.

TABLE I. RESULTS WITH VARIATION IN LEAD RESISTANCE

Sl. No.	$R_{LD1} = R_{LD2}$ [ $\Omega$ ]	Output from MU ( $R_x/R_{ref}$ )	
		Without compensation	Proposed method
1.	0	1.0239	0.9944
2.	1	1.0252	0.9945
3.	2	1.0277	0.9946
4.	3	1.0299	0.9946
5.	4	1.032	0.9947
6.	5	1.0334	0.9948
7.	6	1.0362	0.9949
8.	7	1.0376	0.995
9.	8	1.0399	0.9951
10.	9	1.0435	0.9952
11.	10	1.0447	0.9953

In Table I, the values of  $R_x/R_{ref}$  corresponding to serial number 1 for the case of  $R_{LD1} = R_{LD2} = 0$  are not found to be equal. The reason behind it, is the effect of  $R_{ON1}$  and  $R_{ON2}$ , the ON-state resistance of the switches  $S_1$  and  $S_2$ , which gets eliminated in the proposed method but in the existing method this additional resistance due to switch is not cancelled automatically. Also the microcontroller port pin through which the voltage across the capacitor discharges to ground in the discharging operations 1 and 2 are same which is different from 3 and 4. The microcontroller port pin resistances in actual

case may have a mismatch of about few tenths of ohms as reported in [7]. The results show that the proposed method has very less sensitivity to change in the lead resistance, enabling interfacing of resistive sensors directly to micro-controller even if they are separated by a long distance cable.

## V. CONCLUSION

A new scheme for compensating the effect of lead resistance in direct resistive sensor to micro-controller interface is presented in this paper. The proposed scheme makes the direct resistive sensor to micro-controller interface system suitable for resistive sensors with large lead resistance. A prototype of the proposed system has been developed and tested. The efficacy of the proposed scheme has been established by the results obtained from simulation studies as well as from the prototype unit.

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